# PWM DC-DC ZERO-VOLTAGE SWITCHING RESONANT BRIDGE CONVERTER 

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#### Abstract

This paper proposes a diagram for a pulsewidth-modulated (PWM) DC-DC bridge converter able to provide a zero-voltage switching (ZVS) for all switches in conditions of load and input voltage large-scale variation. The operating modes, as well as the results of a PSPICE simulation, are also shown and analyzed.


Key-words: bridge converter, PWM, ZVS, DC-DC, zero-current switching (ZCS)

## 1. INTRODUCTION

This paper proposes a diagram for a PWM DC-DC bridge converter able to provide ZVS for all switches in conditions of load and input voltage large-scale variation. The goals of the paper are: 1) to explain the ZVS bridge converter's diagram; 2) to analyze its operating modes; 3 ) to draft the design curves and to calculate the optimal design point; 4) to verify converter's performances at various loads and variable input voltages, using PSPICE.
Section 2 shows the functioning principle for this converter. In section 3 we present its analyze performed on continuous duty. The design procedure and an example of optimal model are presented in section 4. Simulation's results are detailed in section 5 and conclusions are given in section 6 .

## 2. OPERATING PRINCIPLE

Figure 1 shows the diagram of a DC-DC bridge converter with isolating transformer. The $\mathrm{S}_{1}-\mathrm{S}_{4}$ switches are controlled using a complementary fixed frequency (with variable filling factor - PWM). The control signals generate rectangular shaped waves for the $V_{A B}$ between terminals $A$ and $B$ of which negative and positive areas are equal (Figure 2). The proposed control diagram, together with an optimal design, will provide ZVS for the $\mathrm{S}_{2}, \mathrm{~S}_{3}$ şi $\mathrm{S}_{4}$ switches. Hence, the S1 switch will operate on ZVS from maximal load down to approximately $80 \%$ of the load. In order to provide ZVS on $\mathrm{S}_{1}$ at low loads, an auxiliary circuit is necessary.


Fig. 1. Diagram of a PWM DC-DC converter
We notice that, in order to provide ZVS at low loads, two circuits of this type are necessary, both of them having transition at zero voltage (ZVT) (Redl, 1994). This circuit's power consumption is very low and it is able to supply zero voltage transition (ZVT) when $\mathrm{S}_{1}$ is out of ZVS. In this way, the S 1 switch will open with ZVT and $\mathrm{S}_{2}$, not only that will open with ZVS, but also will close with a zero switching current. Figure 2 shows the control signals, the $\mathrm{v}_{\mathrm{AB}}$ voltage and the $\mathrm{I}_{\mathrm{L} 1}$ current for three different loads. In Figure 2(a) the load is maximal, $\mathrm{D}=0,5$ and the pulse's width is $\pi$. As the load current decreases the pulse's width decreases too, proportionally with a dead zone, which cuts symmetrically the $\mathrm{v}_{\mathrm{AB}}$ voltage at both ends, with $\alpha$, as it is shown in Figures 2(b) and 2(c).

### 2.1. Operating modes

The $i_{L 1}$ current, which depends of the load current, operates in continuous conduction mode (TI-CCM) [Figures 2(a) and (b)] as well as in discontinuous conduction mode (TI-DCM) [Figure 2(c)].


Fig. 2(a). Control signals, voltage and current through $\mathrm{L}_{1}$ and current on each switch at maximal load (TI-CCM).

Figure 2(a) shows the wave shapes at maximal load and minimal input voltage. The $\mathrm{v}_{\mathrm{AB}}$ input voltage is rectangular $(D=0,5)$. Figures $2(b)$ and (c) show the wave shapes of $\mathrm{v}_{\mathrm{AB}}$ voltage, for the current through $\mathrm{L}_{1}$, for the current on each switch on both operating modes, that is TI-CCM, respectively TI-DCM. For loads smaller than the maximal load and $\mathrm{D}<0,5$, the control signals on $S_{1}$ and $S_{4}$ decrease with $\alpha$. Therefore, each semi-cycle of $\mathrm{v}_{\mathrm{AB}}$ voltage decreases to $\mathrm{D} \tau_{\mathrm{p}}=\left(\tau_{\mathrm{p}} / 2\right)-\alpha$, where $\tau_{\mathrm{p}}$ is the period.


Fig. 2(b). Control signals, voltage and current through $\mathrm{L}_{1}$ and current on each switch when load is bigger than the transition loads (TI-CCM).

## 3. THE ANALYSIS

In order to study the converter on both modes (TICCM, and TI-DCM), on adopt some simplifying assumptions in order to facilitate the analysis (e.g.: circuit's components are ideal, the DC I/O voltages have insignificant ripple, the rectifier and the output filter are replaced with a rectangular voltage source, etc.). In section 3.1. the general formulas for current via coil $L_{1}$ are given.


Fig. 2(c). Control signals, voltage and current through $\mathrm{L}_{1}$ and current on each switch when load is smaller than the transition loads (TI-DCM).

In section 3.2, we obtain the design points and the converter's operational parameters using the formulas for continuous duty.

### 3.1. General formulas

General formulas for the TI-CCM operational mode [Figure 2(b)]. In this operating mode we have 5 different intervals. The equivalent circuits for these intervals are given in Figure 3.
Interval 1 [Figure 3(a)]: $0<\tau<\tau_{1}, \mathrm{v}_{\mathrm{AB}}=-\mathrm{V}_{\mathrm{dc}}$ : the current through $\mathrm{L}_{1}$ is positive and decreases compared to $\mathrm{I}_{\mathrm{A} 2}$. Diodes $\mathrm{D}_{1}$ and $\mathrm{D}_{3}$ are conducting. The formula for $\mathrm{i}_{\mathrm{L} 1}(\tau)$, under the original assumption $\mathrm{i}_{\mathrm{L} 1}(0)=\mathrm{I}_{\mathrm{A} 2}$, is:

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=\mathrm{I}_{\mathrm{A} 2}-\left[\left(\mathrm{V}_{\mathrm{dc}}+\mathrm{nV}_{0}\right) / \mathrm{L}_{1}\right] \tau \tag{1}
\end{equation*}
$$

At the end of this interval $i_{\mathrm{L} 1}\left(\tau_{1}\right)=0$.
Interval 2 [Figure 3(b)]: $\tau_{1}<\tau<\tau_{2}\left(\tau_{2}=\mathrm{D} \tau_{\mathrm{p}}\right), \mathrm{v}_{\mathrm{AB}}=-$ $\mathrm{V}_{\mathrm{dc}}$ : switches $\mathrm{S}_{1}$ and $\mathrm{S}_{3}$ open with ZVS. The current through $L_{1}$ is negative and decreases down to $\mathrm{I}_{\mathrm{B}}$. Formula for $\mathrm{i}_{\mathrm{L} 1}(\tau)$, under the original assumption $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{1}\right)=0$, is:

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=-\left[\left(\mathrm{V}_{\mathrm{dc}}-\mathrm{nV}_{0}\right) / \mathrm{L}_{1}\right]\left(\tau-\tau_{1}\right) \tag{2}
\end{equation*}
$$

At the end of this interval $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{2}\right)=\mathrm{I}_{\mathrm{B}}$.
Interval 3 [Figure 3(c)]: $\tau_{2}<\tau<\tau_{3}, \mathrm{~V}_{\mathrm{AB}}=+\mathrm{V}_{\mathrm{dc}}$ : the current through $L_{1}$, which is negative and decreases, goes through the diodes $\mathrm{D}_{2}$ and $\mathrm{D}_{4}$. Formula for $\mathrm{i}_{\mathrm{L} 1}(\tau)$, under the original assumption $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{2}\right)=\mathrm{I}_{\mathrm{B}}$, is:

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=\left[\left(\mathrm{V}_{\mathrm{dc}}+\mathrm{nV}_{0}\right) / \mathrm{L}_{1}\right]\left(\tau-\mathrm{D} \tau_{\mathrm{p}}\right)+\mathrm{I}_{\mathrm{B}} \tag{3}
\end{equation*}
$$

At the end of this interval $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{3}\right)=0$.
Interval 4 [Fig. 3(d)]: $\tau_{3}<\tau<\tau_{4}\left(\tau_{4}=2 \mathrm{D} \tau_{\mathrm{p}}\right), \mathrm{v}_{\mathrm{AB}}=$ $+V_{\mathrm{dc}}$ : switches $\mathrm{S}_{2}$ and $\mathrm{S}_{4}$ open with ZVS. The current through $L_{1}$ is positive and increases from 0 up to $\mathrm{I}_{\mathrm{A} 1}$. Formula for $\mathrm{i}_{\mathrm{L} 1}(\tau)$, under the original assumption $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{3}\right)=0$, is:

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=\left[\left(\mathrm{V}_{\mathrm{dc}}-\mathrm{n} \mathrm{~V}_{0}\right) / \mathrm{L}_{1}\right]\left(\tau-\tau_{3}\right) \tag{4}
\end{equation*}
$$

At the end of this interval $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{4}\right)=\mathrm{I}_{\mathrm{A} 1}$.
Interval 5 [Figure 3(e)]: $\tau_{4}<\tau<\tau_{\mathrm{p}}, \mathrm{v}_{\mathrm{AB}}=0$ : switch $\mathrm{S}_{4}$ closes at $\tau_{4}$. The current through $\mathrm{L}_{1}$ decreases from $\mathrm{I}_{\mathrm{A} 1}$ to $\mathrm{I}_{\mathrm{A} 2}$, its path being via switch $\mathrm{S}_{2}$ and diode $\mathrm{D}_{3}$. Formula for $\mathrm{i}_{\mathrm{L} 1}(\tau)$, under the original assumption $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{4}\right)=\mathrm{I}_{\mathrm{A} 1}$, is:

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=\mathrm{I}_{\mathrm{A} 1}-\left(\mathrm{nV}_{0} / \mathrm{L}_{1}\right)\left(\tau-2 \mathrm{D} \tau_{\mathrm{p}}\right) \tag{5}
\end{equation*}
$$

At end of cycle $S_{2}$ closes and current through $i_{L 1}$ will become again $\mathrm{i}_{\mathrm{L} 1}\left(\tau_{\mathrm{p}}\right)=\mathrm{I}_{\mathrm{A} 2}$.

The transition from the TI-CCM mode to the TI-DCM mode. Based on the designing point, when the load decreases lesser than the transition load, the iL1 current toggles from the TI-CCM mode [Figure 2(b)] to the TI-DCM mode [Figure 2(c)]. In the transition point we have:

$$
\begin{equation*}
\tau_{1}=0, \mathrm{I}_{\mathrm{A} 2}=0, \mathrm{i}_{\mathrm{L} 1}\left(\tau_{\mathrm{p}}\right)=\mathrm{i}_{\mathrm{L} 1}(0)=0 \tag{6}
\end{equation*}
$$

General formulas for the TI-DCM operating mode [Figure 2(c)]. Figure 4 shows the two additional equivalent circuits that appear when this operating mode is on.
Interval 1 [Figure 4(a)]: $0<\tau<\tau_{\mathrm{t}}$ : during the very short interval of ZVT, switch $\mathrm{S}_{\mathrm{t}}$ opens and a resonant sinusoidal current at semi-cycle passes through $\mathrm{D}_{1}$ and supplies ZVT for $S_{1}$. In order to facilitate the study, the $1^{\text {st }}$ interval, which is very short, is overlooked; we assume that the $2^{\text {nd }}$ interval begins at the moment $\tau=0$.
Interval 2: $\tau_{\mathrm{t}}<\tau<\tau_{2}$ : vAB $=-\mathrm{Vdc}$ and the current through L1 is zero and decreases. The switches $\mathrm{S}_{3}$ and $\mathrm{S}_{1}$ (which opened with ZVT) start to conduct.

$$
\begin{equation*}
\mathrm{i}_{\mathrm{L} 1}(\tau)=-\left[\left(\mathrm{V}_{\mathrm{dc}}-\mathrm{nV}_{0}\right) / \mathrm{L}_{1}\right] \tau \tag{7}
\end{equation*}
$$

Intervals 3, 4 and 5: are identical to those for TICCM operating mode; therefore the same equations are available to be used, with an unique exception: at the end of the $5^{\text {th }}$ interval the current through $\mathrm{L}_{1}$ becomes 0 and $\mathrm{S}_{2}$ closes with ZCS. We have: $\mathrm{i}_{\mathrm{S} 2}=\mathrm{i}_{\mathrm{D} 3}$ $=\mathrm{i}_{\mathrm{L} 1}=0$.


Fig. 3. The equivalent circuits corresponding to TI-CCM mode [Figure 2(b)]. (a) interval 1. (b) interval 2. (c) interval 3. (d) interval 4. (e) interval 5.

(a)

(b)

Fig. 4. The equivalent additional circuits corresponding to TI-DCM mode [Figure 2(c)]. (a) interval with ZVT ( $0<\tau<\tau_{\mathrm{t}}$ ). (b) interval 6 .

Interval 6 [Figure 4(b)]: $\tau_{5}<\tau<\tau_{\mathrm{p}}$ : in this interval the current $i_{L 1}$ remains $0\left(i_{L 1}=0\right)$. All the converter's switches and diodes are closed and only the output filter capacitor supplies power on load.

### 3.2. The Analysis of Continuous Duty

The formulas for continuous duty are derived from the general formulas and the limit conditions. These formulas are divided in two classes: for TI-CCM mode and for TI-DCM mode. All the equations are normalized using the following notations:

$$
\begin{align*}
& \mathrm{V}_{\mathrm{b}}=\mathrm{V}_{\mathrm{dc}(\text { min })} \text { (input minimal voltage) } \\
& \mathrm{P}_{\mathrm{b}}=\mathrm{P}_{\mathrm{or}}(\text { output nominal power }) \\
& \mathrm{I}_{\mathrm{b}}=\mathrm{P}_{\mathrm{or}} / \mathrm{V}_{\mathrm{b}} ; \mathrm{t}_{\mathrm{b}}=\tau_{\mathrm{p}} ; \mathrm{L}_{\mathrm{b}}=\mathrm{t}_{\mathrm{b}} \cdot \mathrm{~V}_{\mathrm{b}} / \mathrm{I}_{\mathrm{b}} . \tag{8}
\end{align*}
$$

The converter's gain is defined as $\mathrm{M}=\mathrm{nV}_{0} / \mathrm{V}_{\mathrm{dc}}$ and it will vary along with the input voltage variation $\left(\mathrm{M}_{\text {max }}\right.$
$\left.=n V_{0} / \mathrm{V}_{\mathrm{dc}(\min )}\right)$. All the values per-unit are denoted with „pu".

The normalized formulas in continuous duty, TICCM mode [Figure 2(b)]:
The voltage on coil L1 for each interval is:

$$
\begin{equation*}
\text { interval 1: } \mathrm{L}_{\mathrm{lpu}}\left(\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}} / \tau_{\mathrm{lpu}}\right)=\mathrm{V}_{\mathrm{dcpu}}+\mathrm{M}_{\max } \tag{9}
\end{equation*}
$$

$$
\begin{equation*}
\text { interval 2: } \mathrm{L}_{1 \mathrm{pu}}\left(\mathrm{I}_{\mathrm{Bpu}} / \tau_{21 \mathrm{pu}}\right)=\mathrm{V}_{\mathrm{dcpu}}-\mathrm{M}_{\max } \tag{10}
\end{equation*}
$$

$$
\begin{equation*}
\text { interval 3: } \mathrm{L}_{\mathrm{lpu}}\left(\mathrm{I}_{\mathrm{Bpu}} / \tau_{32 \mathrm{pu}}\right)=\mathrm{V}_{\mathrm{dcpu}}+\mathrm{M}_{\max } \tag{11}
\end{equation*}
$$

$$
\begin{equation*}
\text { interval 5: } \mathrm{L}_{\mathrm{ppu}}\left(\mathrm{I}_{\mathrm{Alpu}} / \tau_{\text {1pu }}-\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}} / \tau_{\mathrm{p} 4 \mathrm{pu}}=\mathrm{M}_{\max }\right. \tag{13}
\end{equation*}
$$

The current balance $\mathrm{i}_{\underline{\underline{L 1}}}(\tau)$ on period $\tau_{1}-\tau_{\mathrm{p}}$ is:
$\mathrm{I}_{\mathrm{Bpu}}\left(\tau_{21 \mathrm{pu}}+\tau_{32 \mathrm{pu}}\right)=\mathrm{I}_{\mathrm{Alpu}} \cdot \tau_{43 \mathrm{pu}}+\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}} \cdot \tau_{1 \mathrm{pu}}+$

$$
\begin{equation*}
\text { interval 4: } \mathrm{L}_{\mathrm{lpu}}\left(\mathrm{I}_{\mathrm{Alpu}} / \tau_{43 \mathrm{pu}}\right)=\mathrm{V}_{\mathrm{dcpu}}-\mathrm{M}_{\max } \tag{12}
\end{equation*}
$$

$$
\begin{equation*}
+\left(\mathrm{I}_{\mathrm{Alpu}}+\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}}\right) \cdot \tau_{\mathrm{p} 4 \mathrm{pu}} \tag{14}
\end{equation*}
$$

The average current on transformer's secondary circuit (at rectifier's output) is: $\mathrm{I}_{\mathrm{Bpu}}\left(\tau_{21 \mathrm{pu}}+\tau_{32 \mathrm{pu}}\right)+$ $\mathrm{I}_{\mathrm{Alpu}} \cdot \tau_{43 \mathrm{pu}}+\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}} \cdot \tau_{\mathrm{lpu}}+\left(\mathrm{I}_{\mathrm{Alpu}}+\mathrm{I}_{\mathrm{A} 2 \mathrm{pu}}\right) \cdot \tau_{\mathrm{p} 4 \mathrm{pu}}=$

$$
\begin{equation*}
=2 \mathrm{P}_{\mathrm{opu}} / \mathrm{M}_{\max } \tag{15}
\end{equation*}
$$

The filling factor depends of intervals' time:
$\mathrm{D}=\tau_{1 \mathrm{pu}}+\tau_{2 \mathrm{lpu}} ; \mathrm{D}=\tau_{32 \mathrm{pu}}+\tau_{43 \mathrm{pu}} ;(1-2 \mathrm{D})=\tau_{\mathrm{p} 4 \mathrm{pu}}$
The normalized formulas in continuous duty, TIDCM mode [Figure 2(c)]:
The voltage on coil L1 for each interval is:
$\mathrm{L}_{\text {1pu }}\left(\mathrm{I}_{\mathrm{Bpu}} / \tau_{21 \mathrm{pu}}\right)=\mathrm{V}_{\mathrm{dcpu}}-\mathrm{M}_{\text {max }}$
$\mathrm{L}_{\text {ppu }}\left(\mathrm{I}_{\text {Bpu }} / \tau_{32 \mathrm{pu}}\right)=\mathrm{V}_{\text {dcpu }}+\mathrm{M}_{\text {max }}$
$\mathrm{L}_{\text {ipu }}\left(\mathrm{I}_{\text {Alpu }} / \tau_{43 \mathrm{pu}}\right)=\mathrm{V}_{\text {dcpu }}-\mathrm{M}_{\text {max }}$
$\mathrm{L}_{\mathrm{lpu}}\left(\mathrm{I}_{\text {Alpu }} / \tau_{\text {lpu }}\right)=\mathrm{M}_{\text {max }}$
The current balance $\mathrm{i}_{\mathrm{L}}(\tau)$ on period $\tau_{1}-\tau_{\mathrm{p}}$ is:
$\mathrm{I}_{\mathrm{Bpu}}\left(\tau_{21 \mathrm{pu}}+\tau_{32 \mathrm{pu}}\right)=\mathrm{I}_{\mathrm{Alpu}}\left(\tau_{43 \mathrm{pu}}+\tau_{54 \mathrm{pu}}\right)$
The average current on transformer's secondary circuit (at rectifier's output) is:

$$
\begin{align*}
\mathrm{I}_{\mathrm{Bpu}}\left(\tau_{21 \mathrm{pu}}+\tau_{32 \mathrm{pu}}\right) & +\mathrm{I}_{\mathrm{Alppp}} \cdot\left(\tau_{43 \mathrm{pu}}+\tau_{54 \mathrm{pu}}\right)= \\
& =2 \cdot \mathrm{P}_{\mathrm{opu}}\left(1-\tau_{\mathrm{p} 5 \mathrm{pu}}\right) / \mathrm{M}_{\max } \tag{22}
\end{align*}
$$

The filling factor depending of intervals' time is:
$\mathrm{D}=\tau_{21 \mathrm{pu}} ; \mathrm{D}=\tau_{32 \mathrm{pu}}+\tau_{43 \mathrm{pu}} ;(1-2 \mathrm{D})=\tau_{54 \mathrm{pu}}+\tau_{\mathrm{p} 5 \mathrm{pu}}$

## 4. DESIGN

The continuous duty's formulas are digitally solved using MATHCAD. The design is performed at maximal load, with a minimal input voltage $\mathrm{V}_{\mathrm{dc}}$ and a filling factor $D=0,5$ [Figure 2(a), perfect rectangular wave for $\mathrm{v}_{\mathrm{AB}}$ and current through $\mathrm{L}_{1}$ in TI-CCM duty]. The 7 equations of continuous duty (9)-(12) and (14)-(16) have 7 unknown variables $\left(\mathrm{L}_{1 \mathrm{pu}}, \mathrm{I}_{\mathrm{Alpu}}, \mathrm{I}_{\mathrm{Bpu}}, \tau_{1 \mathrm{pu}}, \tau_{21 \mathrm{pu}}, \tau_{32 \mathrm{pu}}, \tau_{4 \mathrm{pu}}\right)$ and $\mathrm{D}=0,5$, $\mathrm{V}_{\mathrm{dcpu}}=1, \mathrm{I}_{\mathrm{A} 2 \mathrm{pu}}=\mathrm{I}_{\mathrm{A} 1 \mathrm{pu}}$ and $\tau_{\mathrm{p} 4 \mathrm{pu}}=0$. The maximal efficiency obtained next to calculations ranges between 0,2 and 0,8 , as it is shown in Table 1. It is noticed that for big gains ( $\mathrm{M}_{\text {max }}$ ) the current peaks via components are reduced. On the other hand, a big gain involves the increase of risk to loose ZVS on $\mathrm{S}_{4}$ (which is proportional with $\tau_{32}$ ) at low loads. In order to provide ZVS for $\mathrm{S}_{4}, \tau_{32}$ (the conduction time for $D_{4}$ ) has to be guaranteed as being greater than the minimal value at minimal load. For an optimal design the decrease of maximal current on components and the providing of ZVS for $\mathrm{S}_{4}$, at minimal load have to be taken into account. In Figure 5 we draw the graph for the coefficient of peak current through L1 when D4 is on conduction (IA1pu/ $\tau_{32 p u}$ ), as a function of the gain $\left(\mathrm{M}_{\max }\right)$. The optimization curve's minimal point, $\mathrm{M}_{\max }=0,5$, is selected as designing point able to provide ZVS to S4 at low loads. The filtering capacitor $\mathrm{C}_{\mathrm{f}}$ has to be able to reduce the output voltage's ripple at any load. The filter's capacity is calculated at maximal load, for minimal input voltage and a filling factor $\mathrm{D}=0,5$ :

$$
\begin{equation*}
\mathrm{C}_{\mathrm{f}}=\mathrm{nI}_{\mathrm{A}} /\left(16 \cdot \mathrm{f}_{\mathrm{s}} \Delta \mathrm{~V}_{0}\right) \tag{24}
\end{equation*}
$$

where n is the transformer's coefficient, $\mathrm{I}_{\mathrm{A}}$ is the load current, $\mathrm{f}_{\mathrm{s}}$ is the switching frequency and $\Delta \mathrm{V}_{0}$ is the output voltage's ripple.

Table 1. Per-unit design values at maximal load for $\underline{\text { minimal input voltage }(~} \mathrm{D}=0,5, \mathrm{Vdc}=1 \mathrm{pu})$

| $\mathrm{M}_{\text {max }}$ | $\mathrm{L}_{1 \mathrm{pu}}$ | $\mathrm{I}_{\text {Alpu }}$ | $\mathrm{I}_{\text {Bpu }}$ | $\tau_{1 \text { pu }}$ | $\tau_{21 \text { pu }}$ | $\tau_{32 \text { pu }}$ | $\tau_{43 \text { pu }}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0,2 | 0,024 | 10 | -10 | 0,2 | 0,3 | 0,2 | 0, |
| 0,3 | 0,034 | 6,66 | $-6,66$ | 0,175 | 0,325 | 0,175 | 0,325 |
| 0,4 | 0,042 | 5 | -5 | 0,15 | 0,35 | 0,15 | 0,35 |
| 0,5 | 0,047 | 4 | -4 | 0,125 | 0,375 | 0,125 | 0,375 |
| 0,6 | 0,048 | 3,33 | $-3,33$ | 0,1 | 0,4 | 0,1 | 0,4 |
| 0,7 | 0,045 | 2,85 | $-2,85$ | 0,075 | 0,425 | 0,075 | 0,425 |
| 0,8 | 0,036 | 2,5 | $-2,5$ | 0,05 | 0,45 | 0,05 | 0,45 |



Fig. 5. The optimizing curve for the minimizing of peak current through $\mathrm{L}_{1}$ as long as the $\mathrm{D}_{4}$ diode conducts ( $\mathrm{I}_{\mathrm{A} 1} / \tau_{32}$ ).

## 5. THE PSPICE ANALYSIS

For this study the next values have been taken into account: input voltage $\mathrm{V}_{\mathrm{dc}}=300-360 \mathrm{~V}$, output power $\mathrm{P}_{0}=500 \mathrm{~W}$, load voltage $\mathrm{V}_{0}=48 \mathrm{~V}$, peak-topeak output voltage's ripple $1 \%$ of $\mathrm{V}_{0}$, switching frequency 10 kHz . Table 2 shows the results of a PSPICE simulation at different loads, and minimal and maximal input voltages. The $\mathrm{V}_{0}$ output voltage varies as a function of the filling factor $D$.

Table 2. The results of a PSCPICE simulation for a 500 W converter, at various loads, and minimal and maximal input voltages

| input <br> voltage | $\begin{aligned} & \operatorname{Min} \mathrm{V}_{\mathrm{dc}}=300 \mathrm{~V} \\ & \mathrm{M}_{\max }=0,5 \mathrm{pu} \\ & \hline \end{aligned}$ |  |  | $\begin{aligned} & \operatorname{Max~}_{\mathrm{V}}^{\mathrm{dc}}=360 \mathrm{~V} \\ & \mathrm{M}_{\min }=0,416 \mathrm{pu} \end{aligned}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| load | 100\% | 50\% | 10\% | 100\% | 50\% | 10\% |
| D | 0,5 | 0,28 | 0,13 | 0,31 | 0,21 | 0,10 |
| $\mathrm{I}_{\mathrm{A} 1}$ (A) | 6,57 | 3,85 | 1,9 | 4 | 2,3 | 1,3 |
| $\mathrm{I}_{\mathrm{A} 2}$ (A) | 6,57 | 0 | 0 | 0 | 0 | 0 |
| $\mathrm{I}_{\mathrm{B}} \quad$ (A) | -6,57 | -4,95 | -2,2 | -5 | -3 | -1,5 |
| mode | $\begin{aligned} & \text { TI- } \\ & \text { CCM } \end{aligned}$ | $\begin{aligned} & \text { TI- } \\ & \text { DCM } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { TI- } \\ & \text { DCM } \end{aligned}$ | $\begin{aligned} & \text { TI- } \\ & \text { DCM } \end{aligned}$ | $\begin{aligned} & \text { TI- } \\ & \text { DCM } \end{aligned}$ | $\begin{aligned} & \text { TI- } \\ & \text { DCM } \end{aligned}$ |

Figure 6 shows the simulation's wave shapes in the two extreme situations, the maximal load at minimal input voltage and $10 \%$ load with maximal input voltage. The current's wave shapes through the switching devices demonstrates clearly that these devices opens with ZVS on the whole range of loads (Rashid, 1993).


Fig. 6. The results of the PSPICE simulation. $\mathrm{v}_{\mathrm{AB}}$ voltage, $\mathrm{i}_{\mathrm{L} 1}$ current and switches' wave shapes.
(a) maximal load ( $500 \mathrm{~W}, \mathrm{R}_{\mathrm{L}}=4,6 \Omega$ ) at minimal input voltage $\mathrm{V}_{\mathrm{dc}}=300 \mathrm{~V}$. (b) $10 \%$ of load ( $50 \mathrm{~W}, \mathrm{~V}_{0}=48 \mathrm{~V}$, $\mathrm{R}_{\mathrm{L}}=46 \Omega$ ) at maximal input voltage $\mathrm{V}_{\mathrm{dc}}=360 \mathrm{~V}$.

## 6. CONCLUSIONS

This paper proposes a new control diagram, with fixed complementary frequency, for soft switching PWM DC-DC bridge converters. The diagram has been used on a bridge converter equipped with isolating transformer, rectifying bridge and output filtering capacitor. For the designed converter have been presented a detailed analysis as well as a PSPICE simulation. Some of the converter's features are given below:
(1) The control diagram has fixed frequency and variable filling factor;
(2) ZCS is provided on all switches in all the specified conditions and during the load's variation;
(3) Greater efficiencies can be possibly obtained using IGBTs instead of MOSFETs, for the S1-S4 switches. For the output rectifying bridge the use of Schotky diodes is recommended (Diaconescu, 1996; Lucanu 1997), these having a lower voltage drop and a superior switching speed compared to the regular rectifying diodes.

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